# Digital Regulated Parallel Power and Current Sources For LASER DIODES DRIVING 

Dimitar Georgiev Todorov ${ }^{1}$, Asparuh Ivanov Grigorov ${ }^{2}$<br>Department of Electronics, Faculty of Electronic Engineering and Technologies, Technical University of Sofia, 8, Kliment Ohridski St., Sofia-1797, Bulgaria, Phone: ${ }^{1}+359$ / 296532 81,<br>${ }^{2}+359$ / 888295 148, E-mail: ${ }^{1}$ dgt@tu-sofia.bg, ${ }^{2}$ paro82@abv.bg<br>This paper is about some switching regulator improvement techniques, especially designed for high power laser diode driving. The first one consists in the usage of several power stage capacitors connected in parallel, forming a capacitance sum, witch is determining the output current or power. In this way an easier and more accurate digital control over the output parameters is achieved. Another improvement technique consists in the usage of several power stages, connected in parallel. In this way the output pulsations are much less. A practical solution circuit is designed to illustrate the improvement techniques.

Keywords: Laser diode, driving, power source.

## 1. Introduction

This paper is about some switching regulator improvement techniques, especially designed for high power laser diode driving. The first one consists in the usage of several power stage capacitors connected in parallel, forming a capacitance sum, witch is determining the output current or power. In this way an easier and more accurate digital control over the output parameters is achieved. Another improvement technique consists in the usage of several power stages, connected in parallel. In this way the output pulsations are much less. A practical solution circuit is designed to illustrate the improvement techniques.

## 2. Parallel Capacitors Improvement Technique

The output power in the widespread switching regulators [1] can be determined only with duty ratio changes by the control circuit. The present paper describes a method and a practical solution, based on changes in a power stage capacitor value to determine the output current. It can be realized using capacitors with certain weight ratio connected in parallel, where every particular capacitor presence in the capacitance sum is determined by the control circuit. A power stage circuit built on these considerations is shown in fig. 1.

The work principle of this circuit is the same as the widespread switching regulators work principle with the only deference that the output power $\mathrm{P}_{\text {Out }}$ and the output current $\mathrm{I}_{\mathrm{OUT}}$ are limited by the capacitors $\mathrm{C}_{\mathrm{i}}$.
(1) $P_{\text {OUT }}=\frac{2 \cdot C \cdot E^{2}}{T} \cdot \frac{\delta^{2}}{(1-\delta)^{2}}$,
where T is the regulation period, C is the capacitance sum, $\delta$ is the duty ratio and E is the supplying voltage.

The output voltage Uout can be considered as a constant, because the output load is a laser diode. Then the output current $\mathrm{I}_{\mathrm{OUT}}$ can be determined by the next formula:
(2) $I_{\text {OUT }}=\frac{2 \cdot C \cdot E^{2}}{T \cdot U_{\text {OUT }}} \cdot \frac{\delta^{2}}{(1-\delta)^{2}}$,


Fig. 1 Power and current source circuit
If any of the switches $\mathrm{SWC}_{\mathrm{i}}, \mathrm{i}=1,2, \ldots, \mathrm{n}$ is turned on by the control circuit during the first part of the regulation period, then the capacitor $\mathrm{C}_{\mathrm{i}}$ take part in the capacitance sum forming. If any switch $\mathrm{SWC}_{\mathrm{i}}$ is turned off by the control circuit during the whole period, then the capacitor $\mathrm{C}_{\mathrm{i}}$ is charged a single time to the maximum capacitor voltage $\mathrm{U}_{\mathrm{CMAX}}$ and doesn't take part in the capacitance sum forming.

To achieve easier circuit regulation, it's convenient to choose the capacitor values with binary weight ratios: $\mathrm{C}_{1}=\mathrm{C}_{0} .2^{0} ; \mathrm{C}_{2}=\mathrm{C}_{0} .2^{1} ; \ldots \mathrm{C}_{\mathrm{n}}=\mathrm{C}_{0} .2^{\mathrm{n}-1}$. If any capacitor $\mathrm{C}_{\mathrm{i}}$, $\mathrm{i}=1,2, \ldots, \mathrm{n}$, take part in the capacitance sum forming, then we will consider $\mathrm{k}_{\mathrm{i}}=1$ and in the other case $\mathrm{k}_{\mathrm{i}}=0$. The output current $\mathrm{I}_{\text {out }}$ can be determined by the next formula:

$$
\begin{equation*}
I_{\text {OUT }}=\left(\sum k_{i} \cdot 2^{i-1}\right) \cdot \frac{2 \cdot C_{0} \cdot E^{2} \cdot \delta^{2}}{T \cdot U_{\text {OUT }} \cdot(1-\delta)^{2}} \tag{3}
\end{equation*}
$$

The main advantage of this circuit consists in simplified regulation. Another circuit advantage consists in easier to satisfy requirements to the $\mathrm{SWC}_{\mathrm{i}}$ switches, because the current flowing through any switch is only its proportional part of the output current.

## 3. Parallel Power Stages Improvement Technique

Several stages ( n in number), with the topology shown in fig. 1 [2], connected in parallel can be used to reduce the output pulsations. In this case the switch commutation moments are separated in the time between the stages on a step $\mathrm{t}_{\text {STEP }}$, determined by the regulation period T and the number of stages $\mathrm{n}: \mathrm{t}_{\mathrm{STEP}}=\mathrm{T} / \mathrm{n}$. In this
way a phase difference between the separate output stage currents is achieved and the output pulsations are compensated. Simplified connection in parallel of four stages is shown in fig. 2 .


Fig. 2 Simplified connection in parallel of four stages
Unwanted interaction between the output stages like flowing one stage output current through another output stage, shunting the laser diode, is impossible. That's impossible because the diodes $\mathrm{D}_{1}, \mathrm{D}_{2}, \mathrm{D}_{3}$ and $\mathrm{D}_{4}$, allow only one way current flowing through the laser diode.

If the nth stage output current is $I_{n}$, then the output current of the whole device can be calculated as a sum of the stages output currents:
(4) $\quad I_{\text {OUT }}=n \cdot I_{n}=n \cdot \frac{2 \cdot C \cdot E^{2}}{T \cdot U_{\text {OUT }}} \cdot \frac{\delta^{2}}{(1-\delta)^{2}}$

One can see that during a particular stage output current rising, all of the others stage output currents are falling. If $\Delta \mathrm{t}$ is the time period, in witch a particular stage output current is rising, we can consider $\Delta t<\mathrm{T} / \mathrm{n}$. Then during the time interval $0<\mathrm{t}<\Delta \mathrm{t}$ only one particular stage output current is rising and all of the others stage output currents are falling. During this time interval the output current of the whole device $\mathrm{i}_{\text {out }}$ can be determined by the formula:

$$
\begin{gather*}
i_{\text {OUT }}=\frac{U_{\text {CMAX }}}{L_{\text {OUT }}} \cdot t-\frac{U_{\text {CMAX }}}{2 \cdot L_{\text {OUT }} \cdot \Delta t} \cdot t^{2}+I_{\text {STMIN }}+(n-1) \cdot I_{\text {STMAX }}-  \tag{5}\\
\quad-\frac{U_{\text {OUT }}}{L_{\text {OUT }}}\left((n-1) \cdot(t-\Delta t)+T \cdot\left(\frac{1}{n}+\frac{2}{n}+\ldots+\frac{n-1}{n}\right)\right)
\end{gather*}
$$

where $\mathrm{I}_{\text {STMAX }}$ and $\mathrm{I}_{\text {STMIN }}$ are the maximum and the minimum particular stage output current values and $\mathrm{L}_{\text {Out }}$ is the output filter inductor value.

The change in the output current of the whole device $\Delta \mathrm{I}$ in the time interval $0<t<\Delta t$ can be determined by the formula:
(6) $\quad \Delta I=\frac{U_{C M A X}}{2 . L_{\text {OUT }}} \cdot \Delta t-\frac{U_{\text {OUT }}}{L_{\text {OUT }}} \cdot(n-1) \cdot \Delta t$

During the time interval $\Delta t<t<T / n$ all of the stage output currents are falling. In this interval the output current of the whole device can be determined by the formula:

$$
\begin{equation*}
i_{O U T}=n \cdot I_{3 B M A X}-\frac{U_{\text {OUT }}}{L_{\text {OUT }}}\left(n \cdot(t-\Delta t)+T \cdot\left(\frac{1}{n}+\frac{2}{n}+\ldots+\frac{n-1}{n}\right)\right) \tag{7}
\end{equation*}
$$

The change in the output current of the whole device $\Delta \mathrm{I}$ in the time interval $\Delta t<t<T / n$ can be determined by the formula:
(8) $\Delta I=\frac{U_{\text {OUT }}}{L_{\text {OUT }}} .(T-n . \Delta t)$

In normal steady work mode the output current pulsations $\Delta \mathrm{I}$ can be determined by the formula:
(9) $\Delta I=\frac{U_{\text {OUT }}}{L_{\text {OUT }}} \cdot T \cdot\left(1-n \cdot \frac{U_{\text {OUT }}}{E} \cdot \frac{1-\delta}{\delta}\right)$

The relative output current pulsations value can be determined by the formula:
(10) $\frac{\Delta I}{I_{\text {OUT }}}=\frac{T^{2}}{2 . n \cdot C \cdot L_{O U T}} \cdot \frac{U_{O U T}^{2}}{E^{2}} \cdot\left(1-n \cdot \frac{U_{\text {OUT }}}{E} \cdot \frac{(1-\delta)}{\delta}\right) \cdot \frac{(1-\delta)^{2}}{\delta^{2}}$

One can see, that as greater is the number of the stages, the output pulsations are less.

In practical circuit designing with determined output current of the whole device, the next formula can be used:
(11) $\frac{\Delta I}{I_{\text {OUT }}}=\frac{U_{\text {OUT }} \cdot T}{I_{\text {OUT }} \cdot L_{\text {OUT }}} \cdot\left(1-n \cdot \frac{U_{\text {OUT }}}{E} \cdot \frac{1-\delta}{\delta}\right)$

A typical dependence between the output current of the whole device and the duty ratio with several values for n , is shown in fig. 3 .

The chosen circuit parameters are as follows: $\mathrm{E}=48 \mathrm{~V} ; \mathrm{I}_{\mathrm{OUT}}=30 \mathrm{~A} ; \mathrm{U}_{\mathrm{OUT}}=1.9 \mathrm{~V}$; $\mathrm{L}_{\text {OUT }}=15 \mu \mathrm{H} ; \mathrm{T}=5 \mu \mathrm{~s}$.

As one can see in fig. 3 , with increasing the number of the stages $n$, the duty ratio can be chosen in wider range and the output pulsations are decreasing.

Increasing the number of the stages $n$ meets two circuit limitations. The first one ensues from inadmissible circuit complicating and dimensions increasing. The second one ensues from the maximum possible control circuit speed, witch has limits. The control circuit must be able to separate the regulation period into $n$ equal parts and to determine the time interval $0<\mathrm{t}<\Delta \mathrm{t}$ with sufficient accuracy.

In practical solutions the switching elements are realized by MOSFET transistors. An appropriate MOSFET driver must be chosen. The MOSFET transistors are driven by the gate to source voltage. Therefore the control signal should be applied to the transistor gates with consideration of the source potential. The switch elements
$\mathrm{SW}_{2}, \mathrm{SWC}_{1}, \ldots, \mathrm{SW}_{\mathrm{Cn}}$ in the circuit shown in fig.1, are connected to the ground. This means that the corresponding transistor sources are connected to ground and allows the control signal to be directly applied to the transistor gates. The switch $\mathrm{SW}_{1}$ corresponding source is not connected to the ground and therefore there must be galvanic separation to drive the transistor. A practical solution circuit, based on these considerations is shown in fig. 4 .


Fig. 3 A typical dependence between the output current of the whole device and the duty ratio with several values for $n$.


Fig. 4 A practical solution circuit
As one can see from fig.4, the switch $\mathrm{SWC}_{1}, \mathrm{SWC}_{2}, \ldots, \mathrm{SWC}_{\mathrm{n}}$ driving is realized by logical multiplication of two control signals: $\mathrm{U}_{\mathrm{CON}}$ and $\mathrm{U}_{\mathrm{CCON}}$. The logical
multiplication can be realized by specialized two gate integral circuits, specially designed to drive power MOSFET switches. Decreasing in the switch $\mathrm{SW}_{1}$ and $\mathrm{SW}_{2}$ transient period is achieved by using the capacitors $\mathrm{C}_{10}$ and $\mathrm{C}_{11}$, the diodes $\mathrm{D}_{12}$ and $\mathrm{D}_{13}$, the bipolar transistors $\mathrm{Q}_{11}$ and $\mathrm{Q}_{12}$.

## 4. CONCLUSION

1. An advantage of the described circuit is its easy logical control.
2. There isn't any interaction between the separate stages like flowing one stage output current through another stage.
3. With increasing the number of the stages $n$, the duty ratio can be chosen in wider range and the output pulsations are decreasing.
4. Increasing the number of the stages $n$ is limited by the maximum control circuit speed. It must be able to separate the regulation period into n equal parts and to determine the time interval $0<t<\Delta t$ with sufficient accuracy

## 5. REFERENCES

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